



# Corrigendum to “Statistical Mechanics of Monod–Wyman–Changeux”

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Sarah Marzen<sup>1</sup>, Hernan G. Garcia<sup>2</sup> and Rob Phillips<sup>3,4,5</sup>

**1 - Department of Physics, University of California Berkeley, Berkeley, CA 94720-7300, USA**

**2 - Department of Physics, Princeton University, Princeton, NJ 08544, USA**

**3 - Department of Applied Physics, California Institute of Technology, Pasadena, CA 91125, USA**

**4 - Division of Biology, California Institute of Technology, Pasadena, CA 91125, USA**

**5 - Laboratoire de Physico-Chimie Théorique CNRS/UMR 7083, ESPCI, 75231 Paris Cedex 05, France**

**Correspondence to Rob Phillips:** Department of Applied Physics, California Institute of Technology, Pasadena, CA 91125, USA. [phillips@pboc.caltech.edu](mailto:phillips@pboc.caltech.edu)

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We correct an error in Eq. (33) of Ref. [1], which was proposed as a solution to the following ordinary differential equation

$$\frac{dx}{dt} = M(c(t))x(t) \quad (1)$$

where  $c(t)$  is a time-varying ligand concentration and  $M(c(t))$  is a matrix that depends on the ligand concentration. The proposed analytic solution read  $x(t) = e^{\int_0^t M(c(t'))dt'}x(0)$ . This only holds when  $M(c(t))$  commutes with  $M(c(t'))$  for different times  $t \neq t'$  for all  $t, t' > 0$ . In other words, Eq. (33) *only* holds when  $c(t)$  is constant. This error carries over into Eq. (35) of Ref. [1], in which we write that the probability of an ion channel being open at any time

is  $p_{\text{open}}(t) = P_R e^{\int_0^t M(c(t'))dt'}x(0)$ . It is true that

$$p_{\text{open}}(t) = P_R x(t), \quad (2)$$

and thus Eq. (35) in Ref. 35 holds as written when  $c(t)$  is *not* time varying. Fortunately, the example presented in Fig. 12 of Ref. [1] is correct because it analyzed the case in which  $c(t)$  is a constant over the integrated times. We are currently unaware of an analytic approach to solving the full time-dependent case, though the Magnus expansion finds approximations to a matrix  $\tilde{M}$  such that  $x(t) = e^{\tilde{M}t}x(0)$  solves Eq. (1). We are sorry for any confusion caused by this error.

### Reference

- [1] Marzen S, Garcia H, Phillips R. Statistical mechanics of Monod–Wyman–Changeux (MWC) models. J Mol Biol 2013; 425:1433–60.